DESI V WORKSHOP 2013

<u>Similar Document Detection and Electronic Discovery:</u> <u>So Many Documents, So Little Time</u>

Michael Sperling, Rong Jin, Illya Rayvych, Jianghong Li and Jinfeng Yi

Predictive Coding: Turning Knowledge into Power

Thomas I. Barnett and Michael Sperling

Overarching theme:

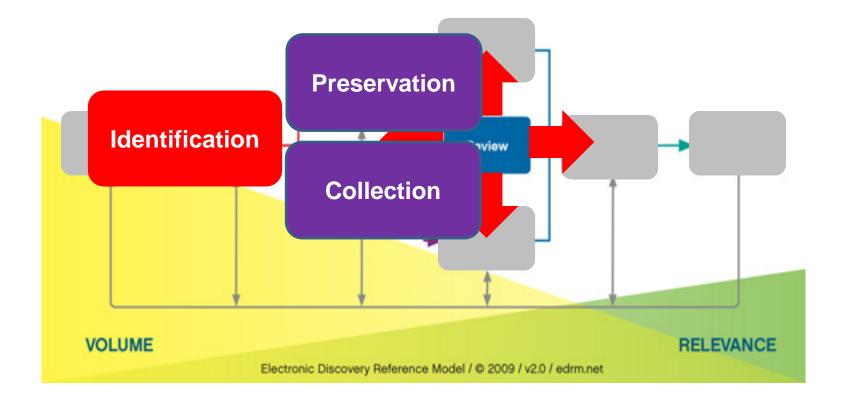
EXPANSION

Process level

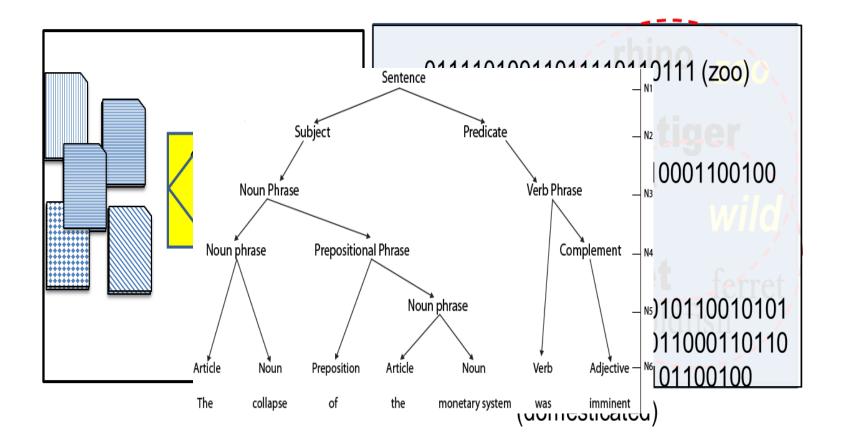
Analytical level

Process level expansion

Electronic Discovery Reference Model



Analytical level expansion



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THEOREM 1. Let **u** be a vector randomly sampled from $\mathcal{N}(0, I/d)$. With a probability $1 - \delta - \frac{c \ln d}{d^3}$, we have

$$\sup_{\mathbf{x}\in\mathcal{D}(r,\mathbf{q})} |(\mathbf{x}-\mathbf{q})^{\top}\mathbf{u}| \\ \leq \frac{r}{\sqrt{d}} \left(C_1 \ln \frac{2m(r,\mathbf{q})}{\delta} + C_2 \sqrt{\ln \frac{2m(r,\mathbf{q})}{\delta}} \right)$$

where

$$C_1 = 6K_2, \quad C_2 = \sqrt{6K_2 + \frac{c\ln d}{d^2}}$$
 (1)

COROLLARY 2. Let $\mathbf{u}_1, \ldots, \mathbf{u}_m$ be *m* vectors randomly san pled from $\mathcal{N}(0, I/d)$. With a probability $1 - m\delta - \frac{c \ln d}{d^3}$, we have

$$\sup_{\mathbf{x}\in\mathcal{D}(r,\mathbf{q})} \max_{1\leq k\leq m} |(\mathbf{x}-\mathbf{q})^{\top}\mathbf{u}_{k}| \leq \frac{r}{\sqrt{d}} \left(C_{1}\ln\frac{2m(r,\mathbf{q})}{\delta} + C_{2}\sqrt{\ln\frac{2m(r,\mathbf{q})}{\delta}} \right)$$

where
$$C_1$$
 and C_2 are defined (1).

THEOREM 5. Let $U = \frac{1}{\sqrt{d}}(\mathbf{u}_1, \dots, \mathbf{u}_m)$ be random variables with $U_{i,j}$ having equal probability to be +1 and -1. With a probability at least $1 - 2m/[d^3]$, we have

$$\sup_{\mathbf{x}\in\mathcal{D}(r,\mathbf{q})} \max_{1\le k\le m} |(\mathbf{x}-\mathbf{q})^{\top}\mathbf{u}_k| \le \frac{r}{\sqrt{d}} \left(2\ln\frac{2m(r,\mathbf{q})}{\delta} + \sqrt{2\ln\frac{2m(r,\mathbf{q})}{\delta}}\right)$$

When m is sufficiently large, i.e.,

$$m \ge 64K_1\left(2\ln\frac{2}{\delta} + \sqrt{2\ln\frac{2}{\delta}}\right)$$

Then, with a probability $1 - (m+1)\delta$, we have

$$\max_{1 \le k \le m} |(\mathbf{x} - \mathbf{q})^\top \mathbf{u}_k| \ge \frac{|\mathbf{x} - \mathbf{q}|}{2\sqrt{d}}$$

THEOREM 6. (Talagrand's inequality) Let X_1, \ldots, X_m be independent random variables in \mathcal{X} . For any class of functions \mathcal{F} on \mathcal{X} that is uniformly bounded by a constant U > 0and for all $\delta > 0$, with a probability $1 - \delta$, we have

$$\begin{vmatrix} \sup_{f \in \mathcal{F}} \left| \sum_{i=1}^{n} f(X_i) \right| - \operatorname{E} \sup_{f \in \mathcal{F}} \left| \sum_{i=1}^{n} f(X_i) \right| \\ \leq K_1 U \ln \frac{K_1}{\delta} + \sqrt{K_1 \sigma^2 \ln \frac{K_1}{\delta}} \end{vmatrix}$$

where K_1 is an universal constant and σ^2 is defined as

$$\sigma^2 = \operatorname{E}\sup_{f \in \mathcal{F}} \sum_{i=1}^n f^2(X_i)$$

THEOREM 3. Assume m is sufficiently large, i.e.,

$$m \ge 64K_1 \left(C_1 \ln \frac{2}{\delta} + C_2 \sqrt{\ln \frac{2}{\delta}} \right)$$

where C_1 and C_2 are defined in (1). Then, with a probability $1 - (m+1)\delta - \frac{mc \ln d}{d^3}$, we have

$$\max_{1 \le k \le m} |(\mathbf{x} - \mathbf{q})^\top \mathbf{u}_k| \ge \frac{|\mathbf{x} - \mathbf{q}|}{2\sqrt{d}}$$

THEOREM 4. Let $\mathbf{u} = \frac{1}{\sqrt{d}}(u_1, \ldots, u_d)$ be a random vector with u_i drawn from a Bernoulli distribution $\Pr(u_i = 1) = \Pr(u_i = -1) = 1/2$. Then, with a probability $1 - \delta$, for a fixed data point \mathbf{x} , we have

$$\sup_{\mathbf{x}\in\mathcal{D}(r,\mathbf{q})} |(\mathbf{x}-\mathbf{q})^{\top}\mathbf{u}| \leq \frac{1}{\sqrt{d}} \left(2\ln\frac{2m(r,\mathbf{q})}{\delta} + \sqrt{2\ln\frac{2m(r,\mathbf{q})}{\delta}}\right)$$

Proof. Since

$$\max_{1 \leq k \leq m} |(\mathbf{x} - \mathbf{q})^\top \mathbf{u}_k| \geq \sqrt{\frac{1}{m} \sum_{k=1}^m |(\mathbf{x} - \mathbf{q})^\top \mathbf{u}_k|^2}$$

it is sufficient to bound $\frac{1}{m}\sum_{k=1}^{m} |(\mathbf{x} - \mathbf{q})^{\top} \mathbf{u}_k|^2$. Using the Telegrand inequality, we have

$$\sup_{\mathbf{x}\in\mathcal{D}} \left| \frac{1}{m} \sum_{k=1}^{m} |(\mathbf{x} - \mathbf{q})^{\top} \mathbf{u}_{k}|^{2} - \mathbf{E} \left[\frac{1}{m} \sum_{k=1}^{m} |(\mathbf{x} - \mathbf{q})^{\top} \mathbf{u}_{k}|^{2} \right] \right|$$
$$\leq K_{1} U \ln \frac{K_{1}}{\delta} + \sqrt{K_{1} \sigma^{2} \ln \frac{K_{1}}{\delta}}$$

where

$$\begin{array}{lll} U & = & \sup_{\mathbf{x}\in\mathcal{D}} \sup_{1\leq k\leq m} |(\mathbf{x}-\mathbf{q})^{\top}\mathbf{u}_{k}|^{2} \\ \\ \sigma^{2} & = & \operatorname{E}\sup_{\mathbf{x}\in\mathcal{D}} \sum_{k=1}^{m} \frac{|(\mathbf{x}-\mathbf{q})^{\top}\mathbf{u}_{k}|^{4}}{|\mathbf{x}-\mathbf{q}|^{4}} \end{array}$$

Current Approaches

Two Basic Elements:

- 1. Vector representation of document (e.g., *n*-grams, vector space model)
- 2. Mapping vector representation to perform search

The Problem

- Inefficiency
 - Costly in compute time and storage (due to *heavy* representation of documents)
 - Slower than desired processing time
- Lack of flexibility
 - Static model for data flow doesn't match real world
 - Static centroid document doesn't allow adaptation to specific data set characteristics

Issues with Static Clustering

- ✓ Well Separated Document Clusters
 - A well separated document cluster is a set of documents such that any document in a cluster is closer to every other document in the cluster than to any point not in the cluster.
 - Challenges
 - Diversity of document population
 - Individual documents are not highly focused
 - Documents arrive in waves
 - Adding to cluster with closest centroid degrades clusters

✓ Threshold for "similarity" cannot be dynamically adjusted – *it's set at cluster creation*

Why Similar Doc Detection in a world of Predictive Coding?

- Combining analytical approaches can improve results in appropriate cases
- \checkmark Quality control of training set
 - Check for consistency of responsive and nonresponsive Are any near duplicates of responsive documents tagged as non-responsive?
 - Especially important when multiple reviewers are independently tagging training docs
 - In our case, 312 docs in training set violated this constraint. Retraining without them significantly improved model

Why Similar Doc Detection in a world of Predictive Coding?

- ✓ Highlighting subtle changes between documents, especially drafts (Examples from Enron corpus)
 - Predictive coding will not pick up these differences
 - Terms of contract:
 - with the first such installment being due and payable upon the issuance and activation of the initial password and user ID
 - with the first such installment being due and payable within five business days after issuance or activation of the initial password and user ID
 - Comments on Electricity Competition and Reliability Act
 - Initial draft Cinergy violated East Central Area Reliability Coordination Agreement by improperly drawing power it did not own from the interchange to meet its own supply obligations
 - **Final document** Cinergy **apparently** violated East Central Area Reliability Coordination Agreement by improperly drawing power it did not own from the interchange to meet its own supply obligations

Requirements

- \checkmark Minimal resource consumption
 - Lightweight representation storage conservation
 - Rapid preprocessing no delay in making documents available for review within total processing time and
 - Almost instantaneous retrieval of near duplicates reviewers are the most expensive resource
- \checkmark Accuracy high recall and precision
- ✓ Dynamically vary "near" threshold : "nearness"
- \checkmark Requirement varies with different doc populations
- ✓ Deal properly with new docs doc arrival not controllable: need to analyze entire corpus, not just new wave

Our approach

- ✓ Lightweight document representation 62 tuple vector for counts of Capitals, Lowercase, and Numerals + total character count + vector length
- ✓ Dynamic search for similar documents, rather than static clusters (*short-form* vector)
 - Implemented as a sequence of one-dimension range searches
 - Use random projections to reduce vector dimensionality
 - Verify retrieved documents at end using 62 tuple representation
- ✓ We prove mathematically and show experimentally the soundness of this approach

Experimental Results

- ✓ Corpus
 - 13,228,105 documents drawn from an actual e-discovery project
 - Contained diverse content typical of e-discovery
- \checkmark Sufficiency of lightweight representation
 - We show 62 tuple representation close => documents close
- $\checkmark\,$ Efficacy of sequential range searches and 8 random projections
 - Recall / Precision
 - Recall of .999
 - Precision of .912
 - Speed
 - 2.57 seconds (time for search to return results-too slow due to Oracle quirk)
 - Heuristics for Oracle implementation
 - Speed heavily dependent on the precision of first range searches performed
 - Use character count and 62 tuple vector size as first 2 range searches
 - Improves speed to .48 seconds

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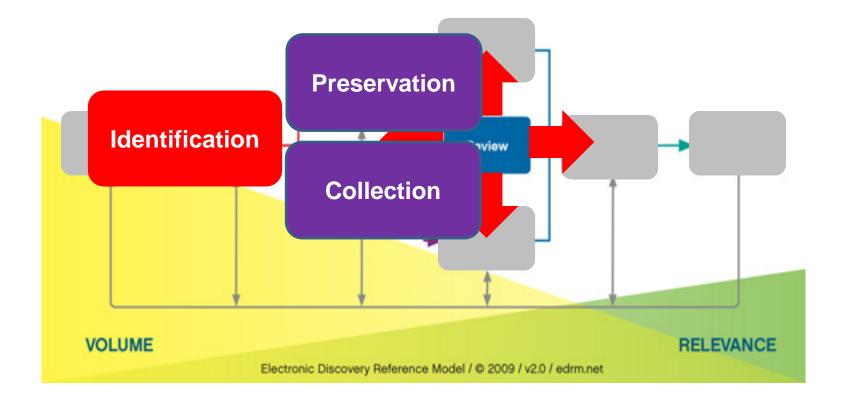
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Process level expansion

Electronic Discovery Reference Model



The case: a typical large class action...



Legal Obligations

Rule 26. Duty to Disclose; General Provisions Governing Discovery

(a) Required Disclosures.(1) Initial Disclosure.

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. . .

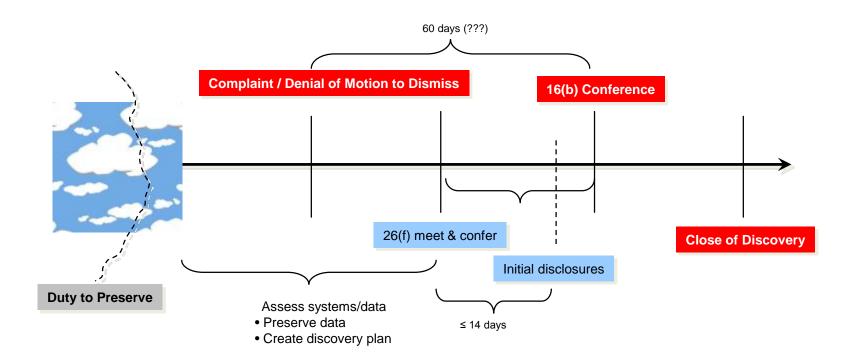
(ii) a copy—or a description by category and location—of all documents, electronically stored information, and tangible things that the disclosing party has in its possession, custody, or control and may use to support its claims or defenses, unless the use would be solely for impeachment;

(2) Conference Content; Parties' Responsibilities . . . discuss any issues about preserving discoverable information; and develop a proposed discovery plan.

Rule 37. Failure to Make Disclosures or to Cooperate in Discovery; Sanctions

(f) Failure to Participate in Framing a Discovery Plan. If a party or its attorney fails to participate in good faith in developing and submitting a proposed discovery plan as required by <u>Rule 26(f)</u>, the court may, after giving an opportunity to be heard, require that party or attorney to pay to any other party the reasonable expenses, including attorney's fees, caused by the failure.

Time Requirements



Typical Attorney Knowledge Base for 26(f) Conference

✓ Estimate of number of data custodians
 ✓ Partial list of possible data sources
 ✓ Some preservation efforts
 ✓ Some data custodian interviews

When it comes to negotiating decisions that can cost a company millions of dollars, putting aside potential penalties or liability, *this is a very thin and indefensible knowledge base*.

Thesis of Position Paper:

Predictive coding (and other analytical tools) can and should be used to provide substantive quantifiable data upon which to negotiate scope of discovery in a meaningful way.

Available Information

- ✓ Supportable estimate (not perfect) of how much data will actually need to be reviewed (i.e., time and cost)
- ✓ Supportable estimate of likely percentage of responsive data
- ✓ Defensible information as to relative value of data sources/custodians
- ✓ Actionable information that can be used to substantively challenge unnecessarily broad requests

Conclusion and future work

- ✓ The emphasis on "coding" as in "coding for production" is misguided and unnecessarily limiting.
- There are many ways to apply analytical approaches to this multifaceted problem called *data discovery* and they go well beyond simply responsiveness or issue coding.
- There is an opportunity to develop work flows using different combinations of analytical approaches and get beyond the highly limited and limiting world of litigation support technology.
- ✓ There is a whole world of advanced analytical tools and processes beyond those dreamt of in most lawyers' philosophies.

